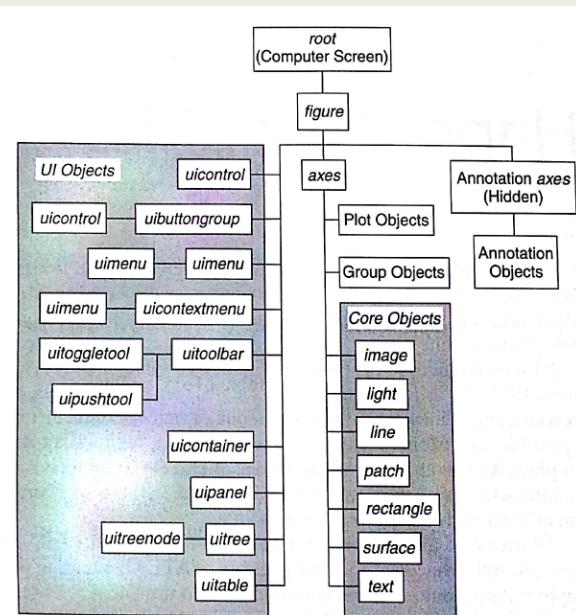


# Graphics

- Vector graphics.
- Overview of common functions and parameters.
- Graphics in Matlab.

## Graphics in Matlab



## Graphics - Vector Images

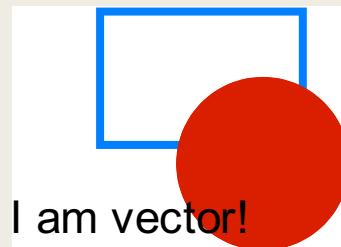
- Image composed and stored as a sequence of pre-set shapes or objects.
- Lines, rectangles, ellipses, text etc.
- Described in terms of size, position, drawing colour, fill colour.
- Each object's characteristics can be edited independently while in this graphical form.

## Graphics – Vector Images

- Often called vector graphics.
- Common drawing packages allow the creation of this form of image.
- Compactly storable in files. PDF
- We will look at typical commands and file editing.

## Graphics – Vector Images

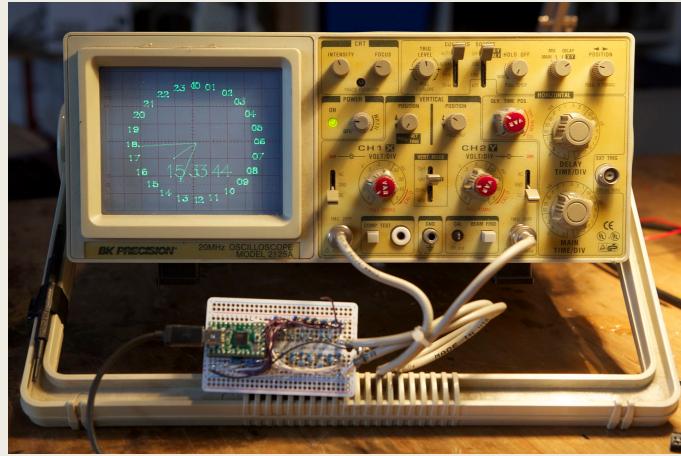
- Example of a graphic vector image created using “Autoshapes”.
- Other popular vector graphic tools are Paint shop pro, Adobe Fireworks, Photoshop.



## Vector Graphics

- Is to pictures what MIDI is to sound.
- Uses lines, predefined shapes, curves and (predefined text).
- Can be very compact.
- Good for plotters.
- Converted to bitmap for monitor display.

## Vector monitor?



- Used for computer graphics up through the 1970s. It is a type of CRT, similar to the oscilloscope. In a vector display, the image is composed of drawn lines rather than a grid of glowing pixels as in raster graphics.
- Vector displays do not suffer from the display artifacts of aliasing and pixelation

## Matlab graphics Co-ordinate systems

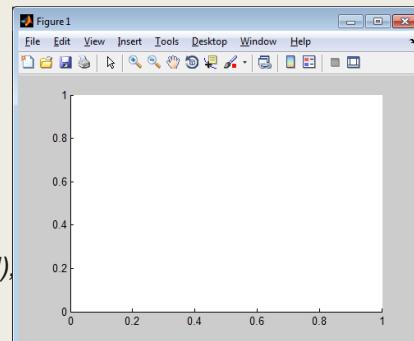
- Vector graphics based upon an x, y co-ordinate system.
- The **x** co-ordinate **runs from left to right** across the screen.
- The **y** co-ordinate usually **runs from the bottom (= 0) of the image to the top**, but sometimes from top (= 0) to the bottom.

```
set(gca,'XAxisLocation','top') %gca is the current axis handle
```

## Co-ordinate systems

- To set up co-ordinate system in Matlab.
- **Haxes = axes**
  - Sets up a co-ordinate system starting at 0 on the x- and y-axes and extending to 1.0 on the x-axis and 1.0 on the y-axis.
- You may now draw on this system.
- You can change the axis scaling using the “axis” command.
- But by default the scaling will increase to accommodate your objects.

try: `Haxes=axes('Plotboxaspectratio',[1 1 1]),`

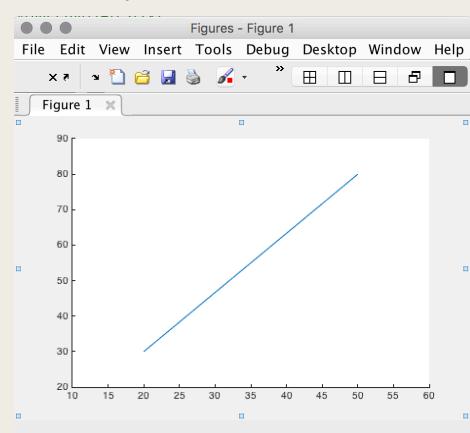


## Lines in Matlab

- Function `line` used to draw lines
- `h = line(x, y)` where x and y are x and y co-ordinates of the start and end of a line. h is a “handle” to the graphics object (used for setting properties).
- Example
  - `x=[20 50]`
  - `y=[30 80]`
  - `hline = line(x,y)`

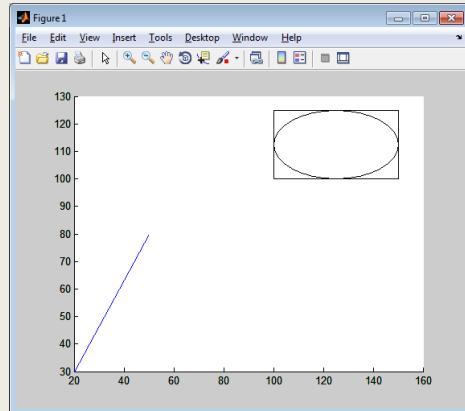
Draws a line from point  $x=20$ ,  $y=30$  to the point  $x=50$ ,  $y=80$

Also try: `hline=line(x,y,z);`



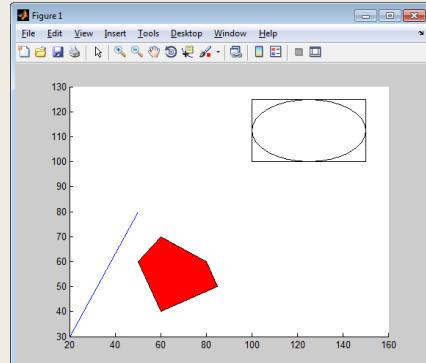
# Rectangles in Matlab

- Function “rectangle” used to draw rectangles in Matlab.
- Often rectangles are defined by 2 points only
  - *Bottom left and top right.*
- In Matlab
  - `hrect = rectangle('Position', [100 100 50 25])`
  - (start position (x,y) then width and height.)
- Also used to draw ellipses and circles
  - `hcirc = rectangle('Position', [100 100 50 25], 'Curvature', [1 1]).`
  - A circle is an ellipse (with the same height as its width)



# Polygons in Matlab

- `h = patch(x, y, 'r')` draws a polygon, the vertices of which are contained in x and y, and is filled by colour 'r'.
- Example draw a red filled pentagon.
  - *Need 5 points in x and y.*
  - `x=[50 60 80 85 60]`
  - `y=[60 70 60 50 40]`
  - `hpoly = patch(x, y, 'r')`



Long Name	Short Name	RGB Triplet
'yellow'	'y'	[1 1 0]
'magenta'	'm'	[1 0 1]
'cyan'	'c'	[0 1 1]
'red'	'r'	[1 0 0]
'green'	'g'	[0 1 0]
'blue'	'b'	[0 0 1]
'white'	'w'	[1 1 1]
'black'	'k'	[0 0 0]

## Our example so far

```
 Drawing.m* x
1 - clear all
2 - clc
3
4 - haxes=axes;
5
6 - x=[20 50];
7 - y=[30 80];
8 - hline=line(x,y);
9
10 - hrect = rectangle('Position', [100 100 50 25]) ;
11
12 - hcirc = rectangle('Position', [100 100 50 25], 'Curvature', [1 1]);
13
14 - x=[50 60 80 85 60];
15 - y=[60 70 60 50 40];
16 - hpoly = patch(x, y, 'r');
17 -
18 - Hchild=get(haxes, 'Children');
19
20
```

## Exercises

- Draw a line from point  $x=20, y=30$  to the point  $x=50, y=60$ .
- Draw a rectangle with the bottom left hand corner at point  $x=30, y=50$  and the top right hand corner at point  $x=70, y=80$ .
- Draw a circle of radius 3 and centred at point  $x=50, y=60$ .
- Draw a blue filled triangle.

## Handles

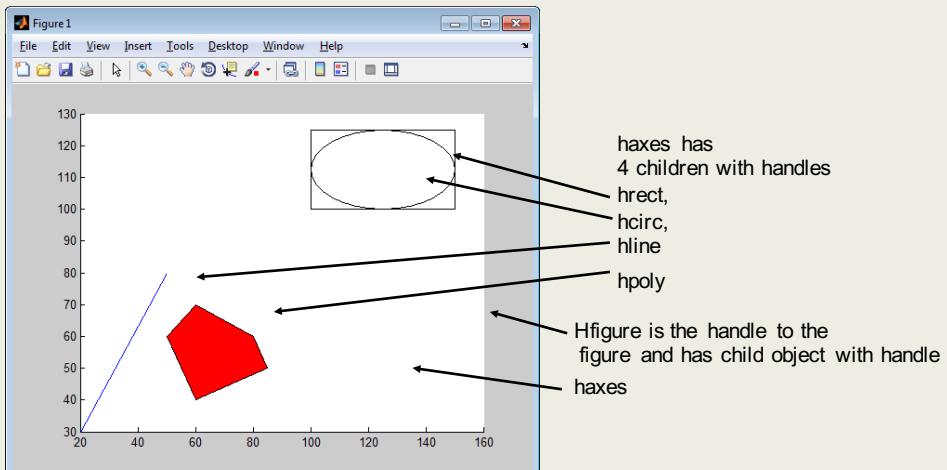
- The main figure has a “handle” in the Matlab environment.
- Handles allow Matlab to keep track of figures and graphic objects.
- Within the main figure we have an axis object; this also has a handle.
- It is a “child” object of the figure.

## Handles

- We differentiate between or identify objects by their handles
- Sort of pointer.
- When we add drawing objects such as our lines, rectangles, patches, they become child objects of the axis object and are also identified by handles.
- So we now have an “axes” with four children.
- We can return these values using
- `Hchild=get(haxes, 'Children')`

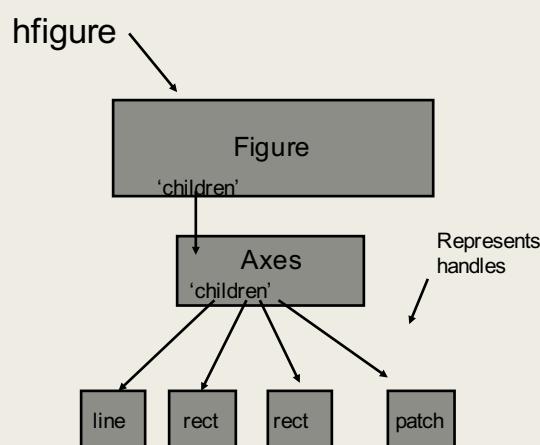
# Handles

- So our structure so far could be drawn as.



# Handles

- Or in hierarchical form



## Handles

- The handle of the figure is returned in variable “hfigure”. ( `hfigure=figure(1)` )
- It gives us access to all the properties of the figure.
  - *get(h) returns a copy of the figure’s (object’s) properties including its children.*

## Handles, Try it

- Type “`maindetails=get(hfigure)`”
- `main details` lists all the properties in the figure.
- The structure includes handles to the child objects.
- We can use the handles to gain access to the child objects and alter their properties.

## Properties, get() and set()

- We can retrieve a copy of the values associated with a graphic object through its handle by using `S=get(hrect)`
- The structure contains all the properties of the graphic object.
- However, since it is a copy we cannot change the actual information associated with the graphic object.

## Properties, get() and set()

- So in true “OO” style we must use an access method/function to adjust parameters..
- `Set(h,'PropertyName',PropertyValue)`
- `Get(h)` or `Get(h, 'PropertyName')` returns the property.
- Note ‘quotes’

```
>> s=get(hline)
```

```
Annotation: [1x1 hg.Annotation]
BeingDeleted: 'off'
BusyAction: 'queue'
ButtonDownFcn: ''
    Children: [0x1 double]
    Clipping: 'on'
    Color: [0 0 1]
    CreateFcn: ''
    DeleteFcn: ''
    DisplayName: ''
    HandleTest: 'on'
    Interruptible: 'on'
    LineStyle: ' '
    LineWidth: 0.5000
    Marker: 'none'
    MarkerEdgeColor: 'auto'
    MarkerFaceColor: 'none'
    MarkerSize: 6
    Parent: 0.0094
    Selected: 'off'
    SelectionHighlight: 'on'
    Tag: ''
    Type: 'line'
    UIContextMenu: []
    UserData: []
    Visible: 'on'
    XData: [20 50]
    YData: [30 80]
    ZData: [1x0 double]
```

```
>> s=get(hcirc)
```

```
Annotation: [1x1 hg.Annotation]
BeingDeleted: 'off'
BusyAction: 'queue'
ButtonDownFcn: ''
    Children: [0x1 double]
    Clipping: 'on'
    CreateFcn: ''
    Curvature: [1 1]
    DeleteFcn: ''
    DisplayName: ''
    EdgeColor: [0 0 0]
    FaceColor: 'none'
    HandleVisibility: 'on'
    HitTest: 'on'
    Interruptible: 'on'
    LineStyle: ' '
    LineWidth: 0.5000
    Parent: 0.0094
    Position: [100 100 50 25]
    Selected: 'off'
    SelectionHighlight: 'on'
    Tag: ''
    Type: 'rectangle'
    UIContextMenu: []
    UserData: []
    Visible: 'on'
```

```
>> s=get(hpoly)
```

```
AlphaDataMapping: 'scaled'
AmbientStrength: 0.3000
Annotation: [1x1 hg.Annotation]
BackFaceLighting: 'verselit'
BeingDeleted: 'off'
BusyAction: 'queue'
ButtonDownFcn: ''
    Children: [0x1 double]
    Clipping: 'on'
    CreateFcn: ''
    DeleteFcn: ''
    DiffuseStrength: 0.6000
    DisplayName: ''
    EdgeAlpha: 1
    EdgeColor: [0 0 0]
    EdgeLighting: 'none'
    FaceAlpha: 1
    FaceColor: [1 0 0]
    FaceLighting: 'flat'
    Faces: [1 2 3 4 5]
    FaceVertexAlphaData: []
    FaceVertexCData: []
    HandleVisibility: 'on'
    HitTest: 'on'
    Interruptible: 'on'
    LineStyle: ' '
    LineWidth: 0.5000
    Marker: 'none'
```

## Order of objects

- As an drawing object is added to the axes object an entry (drawing object's handle) is placed in the "Children" array of the axis object.
- We can rearrange this array to change which object is on top.
- Again we are simply swapping handles
- We need to call "refresh" to see it.

## Order of objects

- So we get the axes objects “children” array.
- `hchild=get(haxes, 'children')`
- Make a copy
  - `htemp=hchild`
- Rearrange the handles to the objects
  - `htemp(4)=hchild(1)`
  - `htemp(1)=hchild(4)`

*And set the axes “children: array to our new values*

`set(haxes, 'children', htemp)`

- or use `uistack(): uistack(hpoly,'top')`

## Deleting objects.

- We can delete an object using its handle.
- `delete(hpoly)`
- Better put it back!
- `hpoly = patch(x, y, 'r')`

## Stroke, Fill and Colour

- All vector graphic shapes have stroke and fill “properties”.
- They affect how the graphic is drawn.
- Stroke is how lines (and outlines are drawn)  
fill is how shapes are filled in.
- One property is “colour” (‘color’ in Matlab).
- Some other properties for stroke are:
  - *Width 'LineWidth'*
  - *style (dotted dashed etc.) 'LineStyle'*

## Stroke, Fill and Colour

- To alter the fill and edge colour of a shape in Matlab:
  - *set(hrect, 'FaceColor', [1 0 0]) for fill colour*
  - *set(hrect, 'EdgeColor', [1 0 0.5]) for stroke colour.*
  - *Where hrect is a handle to the shape.*
- Line width and style may also be applied to the shape’s outline.

## Transparency and “alpha” channels.

- Another property of vector graphics is the ability to add transparency.
- Many packages allow the adjustment of transparency from 0% to 100%.
- An “alpha channel” (in addition to the colour channels) is provided with the objects for this purpose.

## Transparency and “alpha” channels.

- We can access the alpha channel of our shapes by the alpha property of the “patch” drawing object in Matlab.
- Face and edge (fill and stroke) have separate alpha channels.
- It has values between 0 and 1.
- An alpha value of 0 means completely transparent (i.e., invisible); an alpha value of 1 means completely opaque (i.e., no transparency).
- `set(hpoly, 'FaceAlpha', 0.5)`

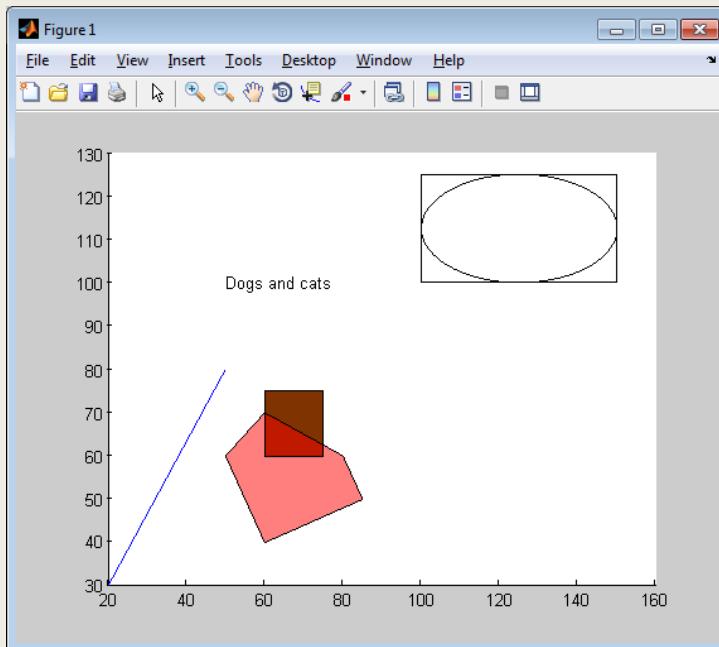
## Text

- Text may be added to vector graphics.
- `htext=text(50,100, 'Dogs and cats')`
- Properties “font” and “colour” (at least) may be changed.

## Our example so far (1)

```
Drawing.m* x
1 -   clc
2 -   clear all
3 -   haxes=axes;
4
5 -   x=[20 50];
6 -   y=[30 80];
7 -   hline=line(x,y);
8 -    hrect = rectangle('Position', [100 100 50 25]) ;
9 -    hcirc = rectangle('Position', [100 100 50 25], 'Curvature', [1 1]);
10
11 -   x=[50 60 80 85 60];
12 -   y=[60 70 60 50 40];
13 -   hpoly = patch(x, y, 'r');
14
15 -   hrect = rectangle('Position', [60 60 15 15]) ;
16 -   set(hrect, 'FaceColor', [0.5 0.2 0]) ;
17 -   set(hpoly, 'FaceAlpha', 0.5);
18
19 -   Hchild=get(haxes, 'Children');
20
21 -   htext=text(50,100, 'Dogs and cats');
```

## Our examples so far (2)



## Exercises

- Draw the rectangle as above but change the outline to red and fill the rectangle with cyan.

## Curves

- Described mathematically.
- Polynomial equations.
- Degree of equations is the highest power of  $x$ .
- Linear  $y = ax + b$ 
  - *degree 1*
- Quadratic.  $y = ax^2 + bx + c$ .
  - *degree 2*
- Cubic.  $y = ax^3 + bx^2 + cx + d$ 
  - *degree 3*

## Exercises

- Linear degree 1

e.g.  $y = 2x + 5$ .

$x = [-10 : 10]; \text{plot}(x, 2*x + 5)$

- Quadratic degree 2

e.g.  $y = x^2 + 0x + 5$ .

$x = [-10 : 10]; \text{plot}(x, (x.^2) + 5)$

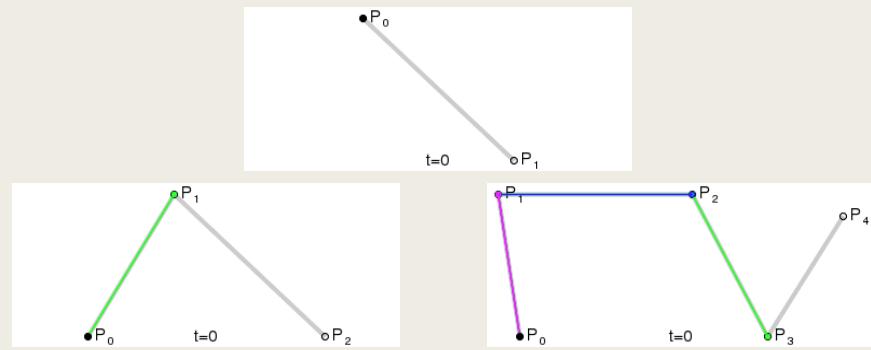
- Cubic degree 3

e.g.  $y = 2x^3 + 20x^2 + 3x + 2$ .

$x = [-10 : 10]; \text{plot}(x, 2*(x.^3) + 20*(x.^2) + 3*x + 2)$

## Bézier curve

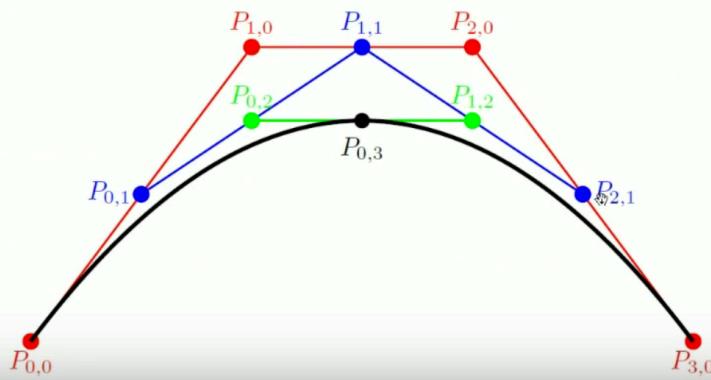
- A Bézier curve is a parametric curve frequently used in computer graphics to model smooth curves that can be scaled indefinitely.
- Pierre Bézier first used them in the 1960's to help designing Renault cars...
- [https://en.wikipedia.org/wiki/B%C3%A9zier\\_curve](https://en.wikipedia.org/wiki/B%C3%A9zier_curve)
- <http://blogs.sitepointstatic.com/examples/tech/svg-curves/quadratic-curve.html>



## Bézier curve

- A cubic Bézier curve is defined by 4 control points:  $P_{0,0}$ ,  $P_{1,0}$ ,  $P_{2,0}$  and  $P_{3,0}$

$$P_{0,3} = (1-t)^3 P_{0,0} + 3t(1-t)^2 P_{1,0} + 3t^2(1-t) P_{2,0} + t^3 P_{3,0}.$$

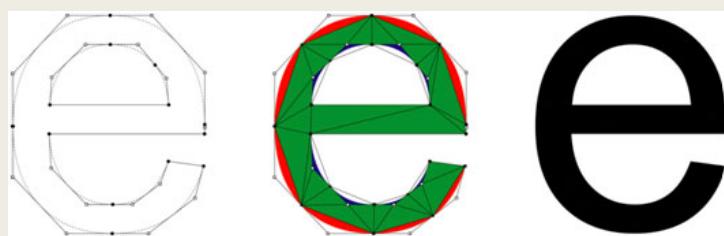


<http://www.mathworks.com/matlabcentral/fileexchange/33828-generalised-bezier-curve-matlab-code>

## Bézier curve



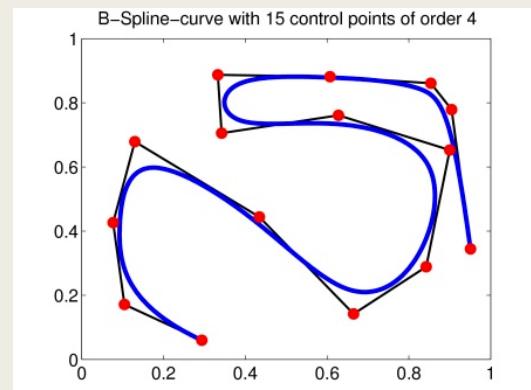
<https://upload.wikimedia.org/wikipedia/commons/e/e1/HINO-4CV-01.jpg>



<http://guity-novin.blogspot.co.uk/2013/04/chapter-66-bezier-curves-for-digital.html>

## Other mathematical curves

- B-splines
- NURBS (Non-uniform rational basis spline)



[http://m2matlabdb.ma.tum.de/example.jpg?MP\\_ID=485](http://m2matlabdb.ma.tum.de/example.jpg?MP_ID=485)